

Precipitation Changes and Variability: Some New Perspectives on Current Theories

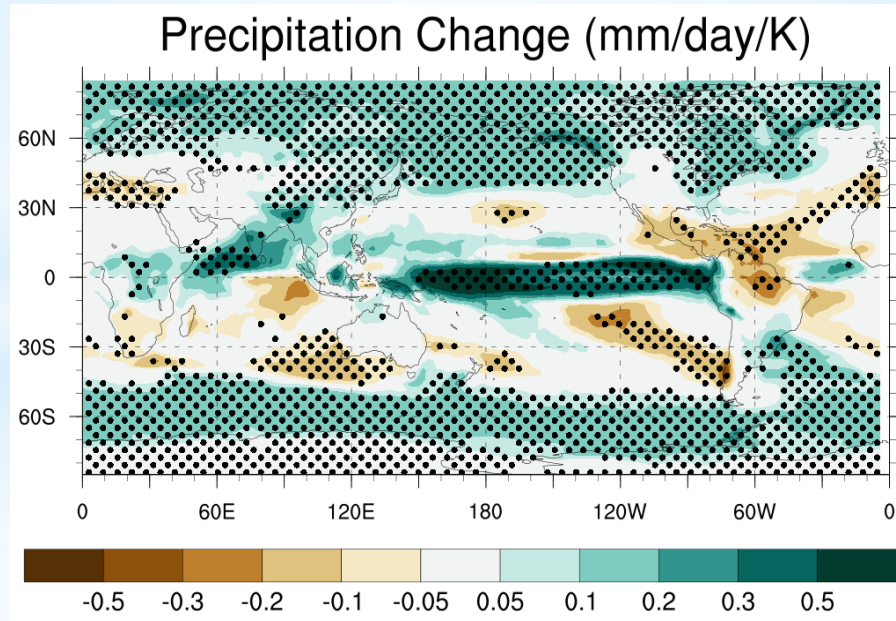
Jie He

Princeton University

Geophysical Fluid Dynamics Laboratory



Precipitation Changes: Subtropical Drying



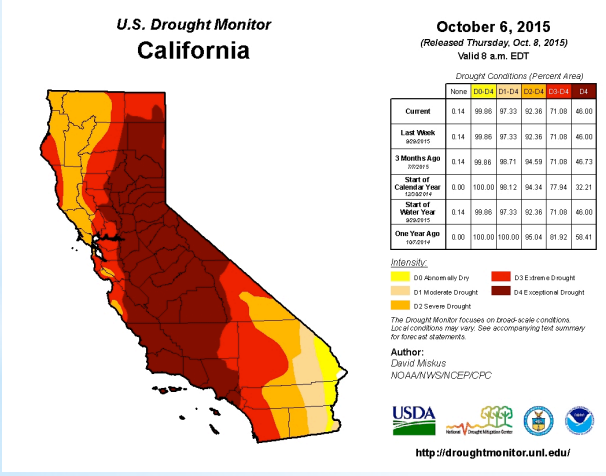
“Dry get drier”

Dry getting drier?

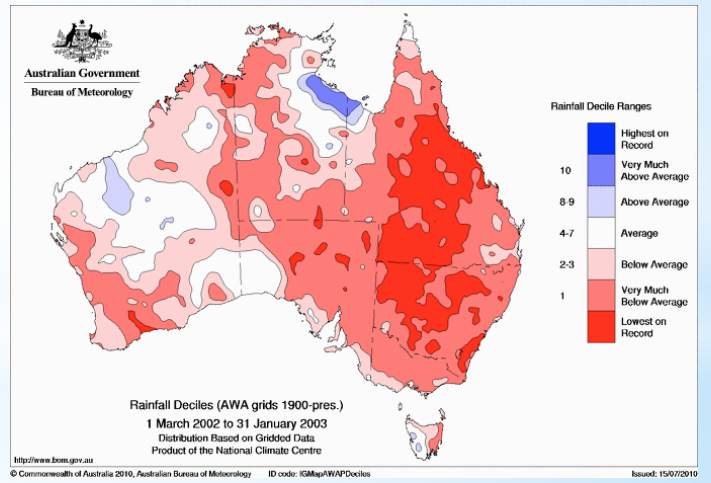
“If these models are correct, the levels of aridity of the recent multi-year drought or the Dust Bowl will become the new climatology of the American Southwest within a time frame of years to decades.”

-- Seager et al. 2007, *Science*

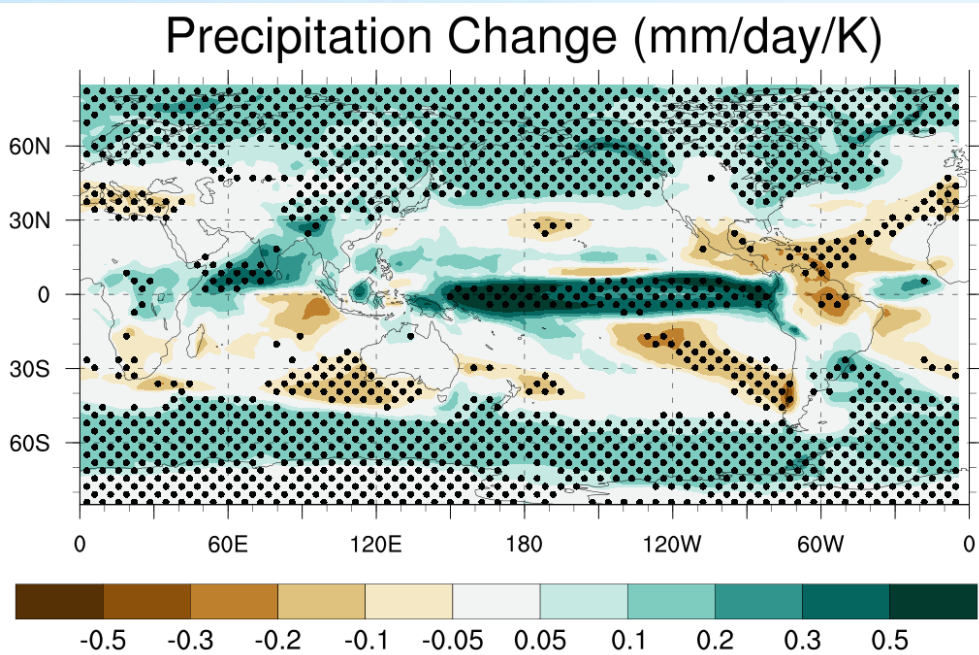
- California Drought (2011-2016)



- Australia Drought (1997-2009)



Dry getting drier?



Only 15% of the robust drying areas are over land.
(Land covers 27% of the subtropics).

What drives the decline?

2 prominent mechanisms:

- “Dry-get-drier”
- Poleward expansion

Introduction

Method

Results

What drives the decline?

- “Dry-get-drier” (Held and Soden 2006, *J. Climate*)

$$P - E = - \int \nabla \cdot (q \cdot V)$$

$$\partial(P - E) = - \int \nabla \cdot \partial(q \cdot V)$$

$$\partial(P - E) = - \int \nabla \cdot (\partial q \cdot V) - \int \nabla \cdot (q \cdot \partial V) - \int \nabla \cdot (\cancel{\partial q \cdot \partial V})$$

$$\partial V \approx 0$$

$$\partial(P - E) = - \int \nabla \cdot (\partial q \cdot V)$$

$$\partial q \approx q \times 7\% / K$$

$$\partial(P - E) = - \int \nabla \cdot (q \cdot V) \times 7\% / K = (P - E) \times 7\% / K$$

$$\partial P \approx (P - E) \times 7\% / K$$

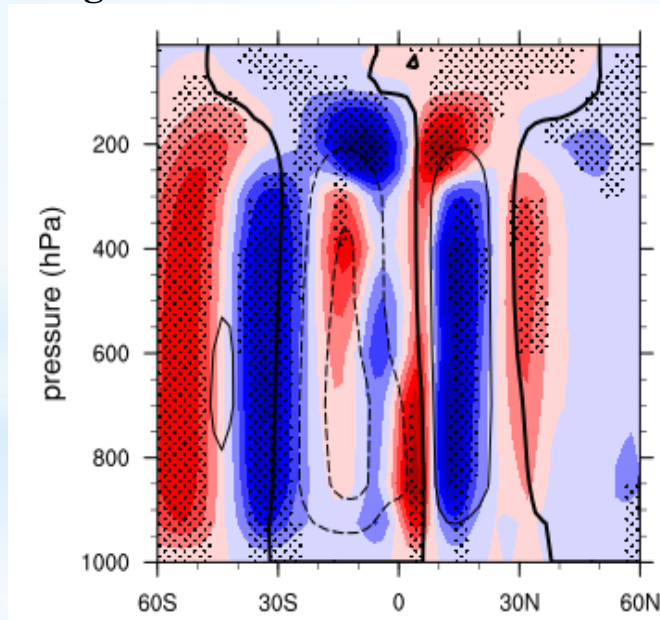
What drives the decline?

- **Poleward expansion** (Scheff and Frierson 2012, *J. Climate*; *GRL*)

$$\partial P \propto (P - E) \quad ??$$

Most of the decline happens poleward of P-E minima.

Change in zonal mean stream function

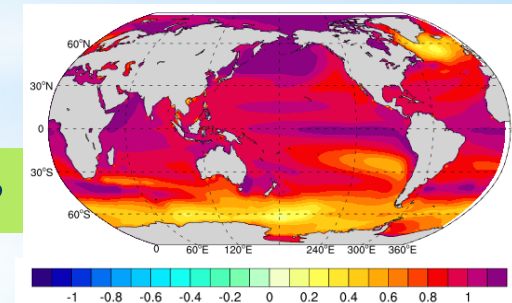
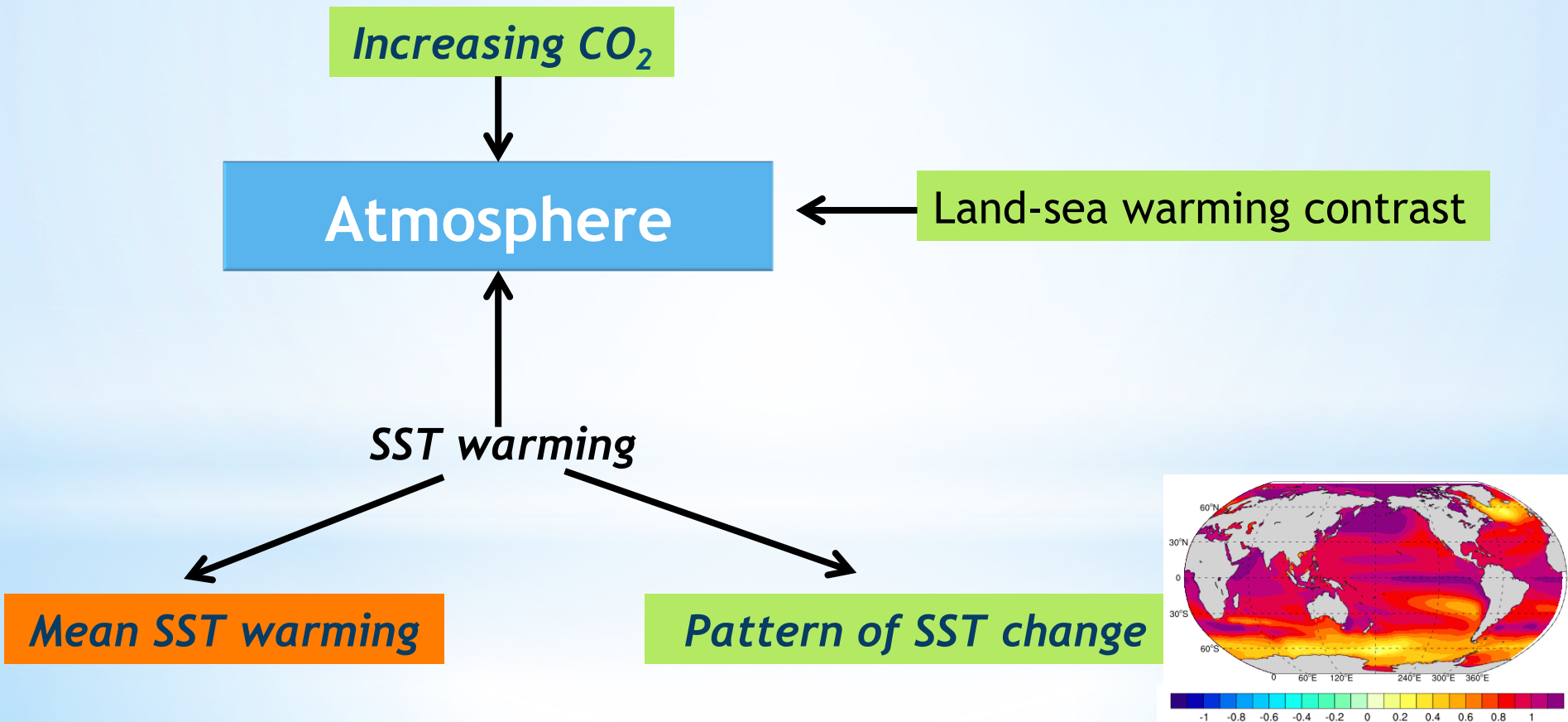


A new perspective

- “Dry-get-drier”
- Poleward expansion

—————→ **Mean SST warming**

(Compo & Sardeshmukh 2009, *C Dyn*; Grise & Polvani 2014, *GRL*)

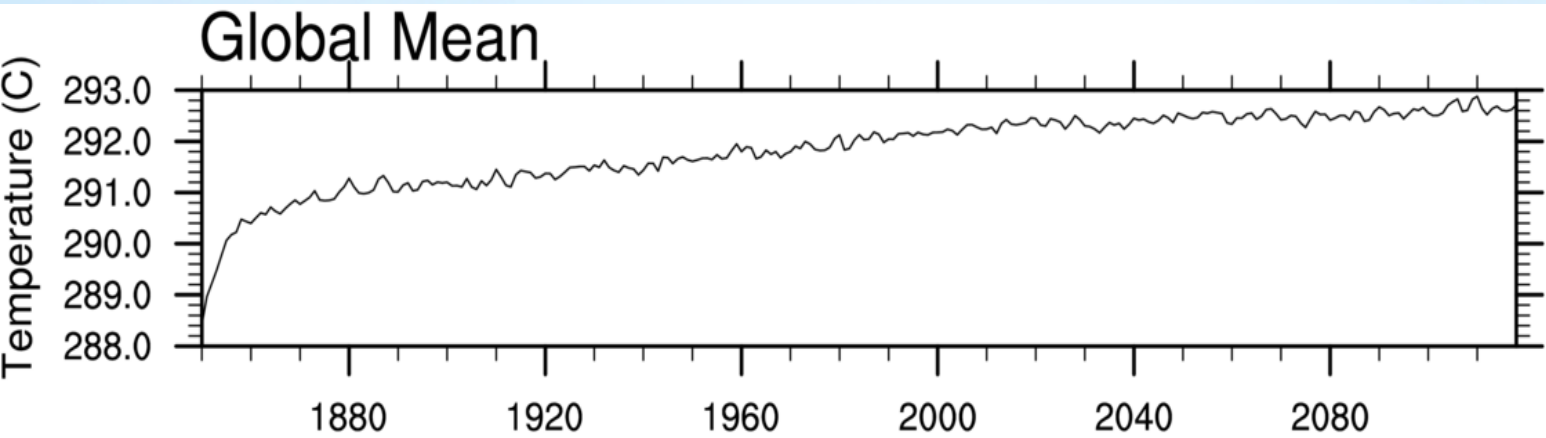


Introduction

Method

Results

Abrupt4xCO2 (13 CGCMs, CMIP5)



Dry-get-drier

Poleward expansion

→ Slow

Direct CO₂ forcing

Land-sea warming contrast

Pattern of SST change

→ Fast (1st year)

Introduction

Method

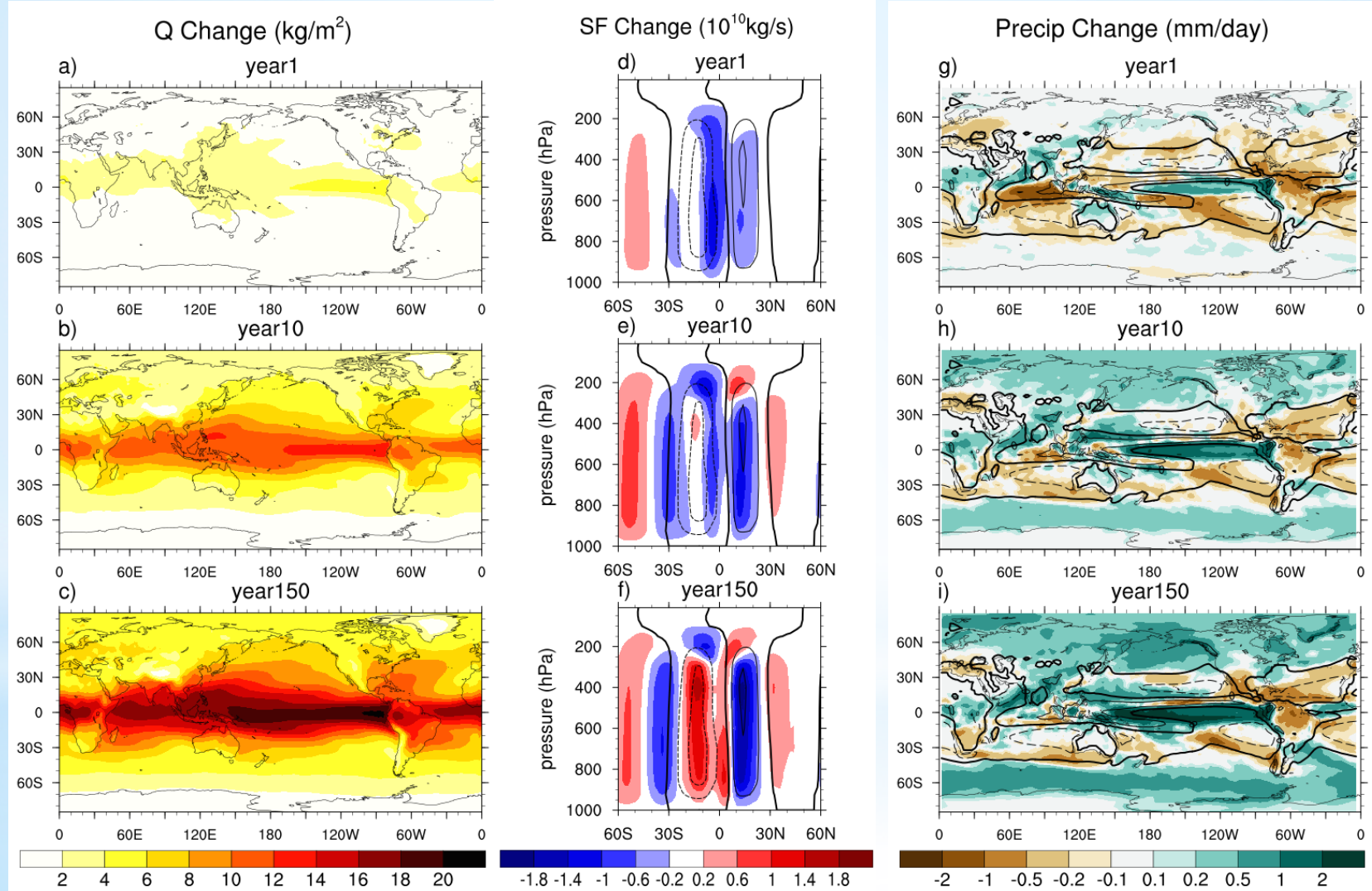
Results

Fast VS Slow responses

“Dry-get-drier”

Poleward expansion

Fast precipitation decline

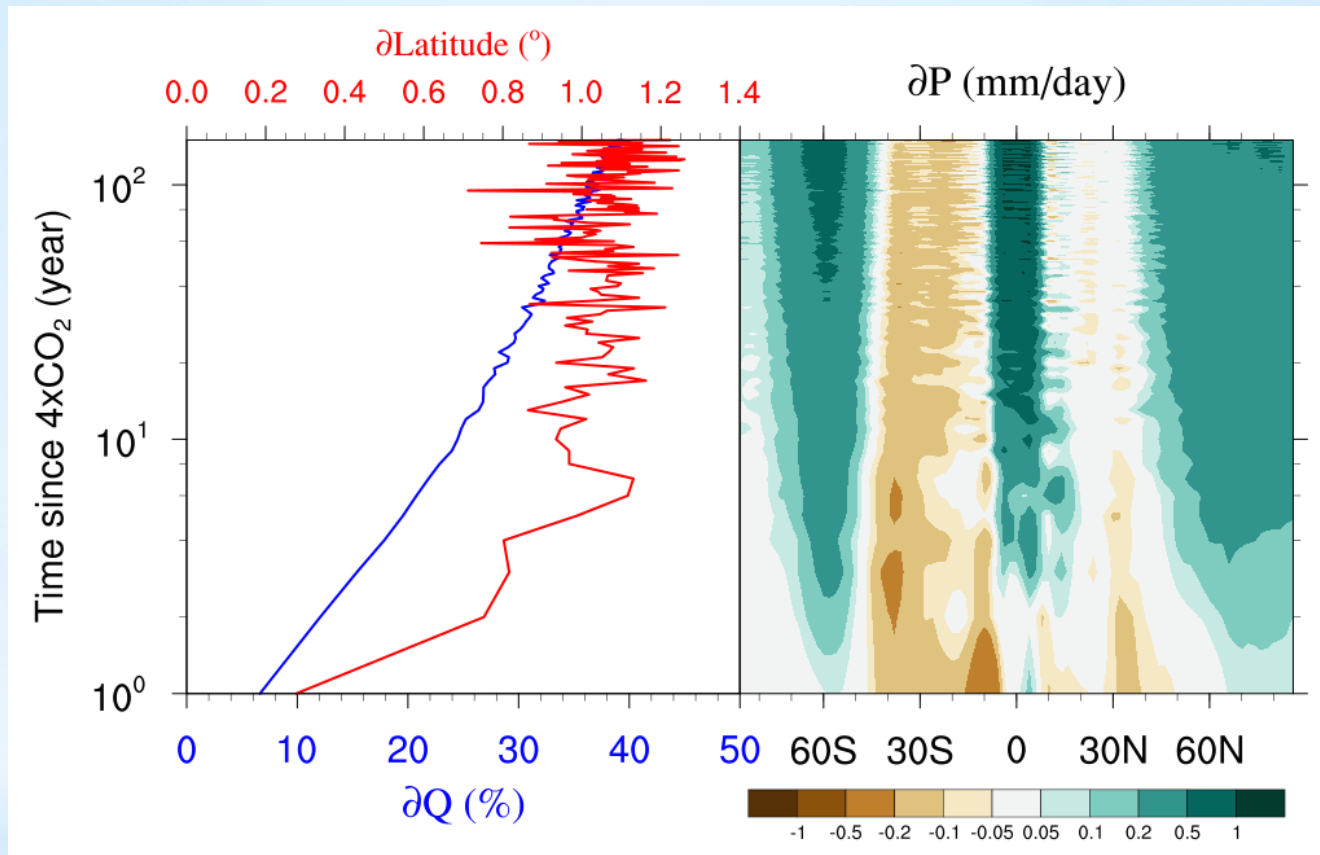


Introduction

Method

Results

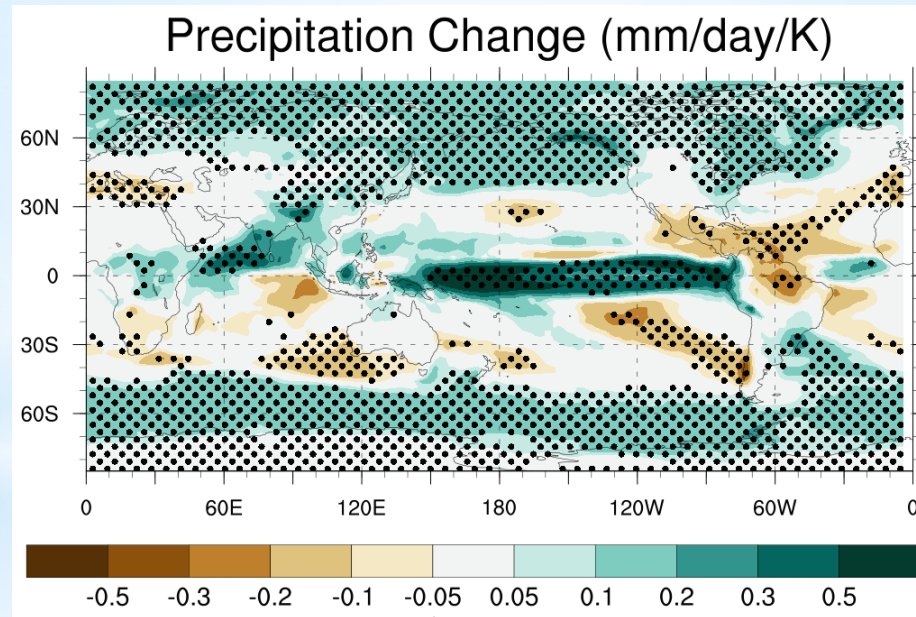
Fast VS Slow responses



- Neither “Dry-get-drier” nor poleward expansion is required for the subtropical precipitation decline.

A more realistic scenario...

Total Change (1pctCO₂)



AMIP_CO₂

CO₂ + land-sea contrast

AMIP_mean

Mean SST warming only

AMIP_pattern

Pattern of SST change only

Introduction

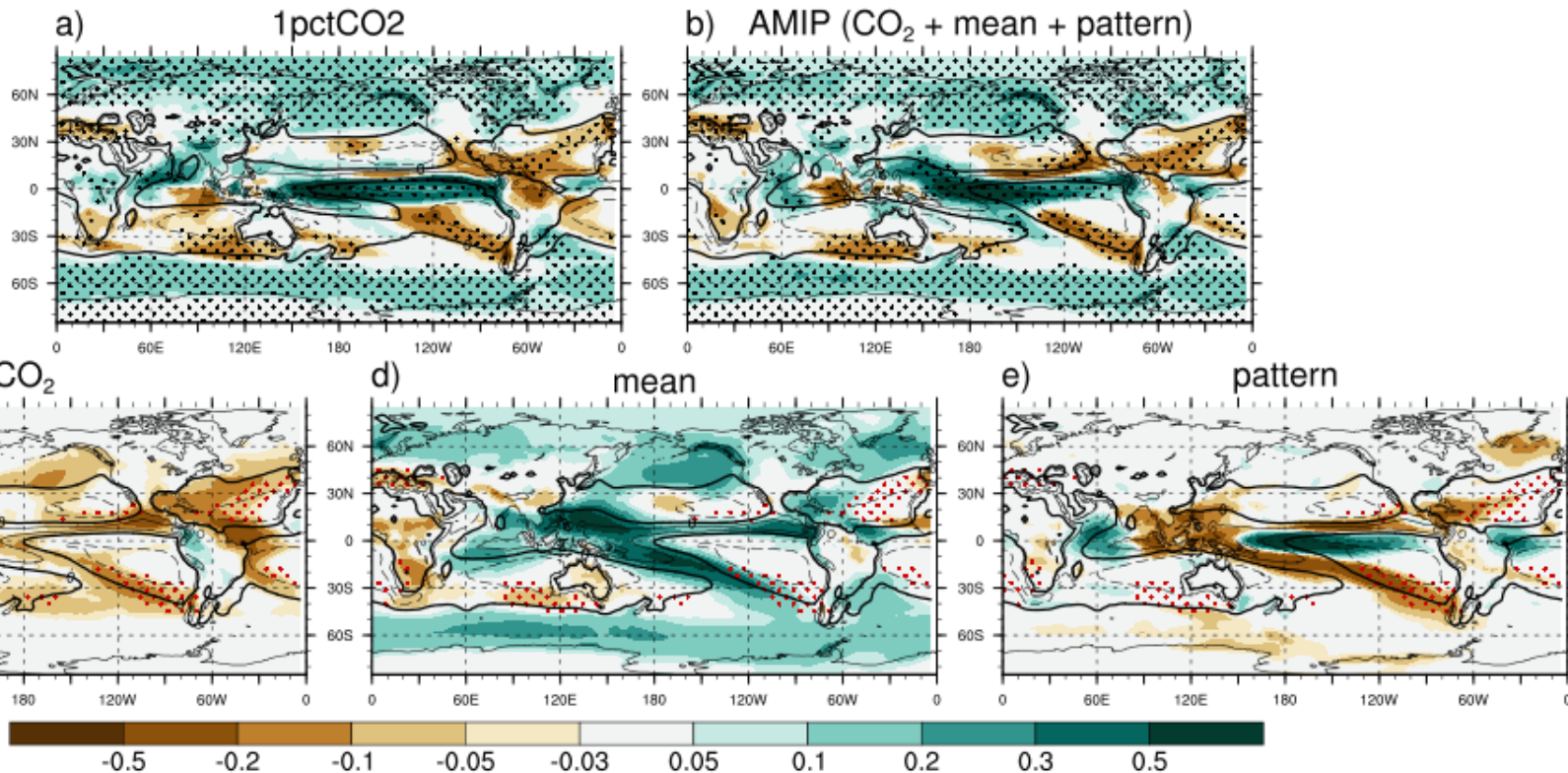
Method

Results

CO₂ VS mean VS pattern

CMIP5 9-model mean

Precip Change (mm/day/K)



- Subtropical precipitation decline does not depend on the global mean SST warming.

Introduction

Method

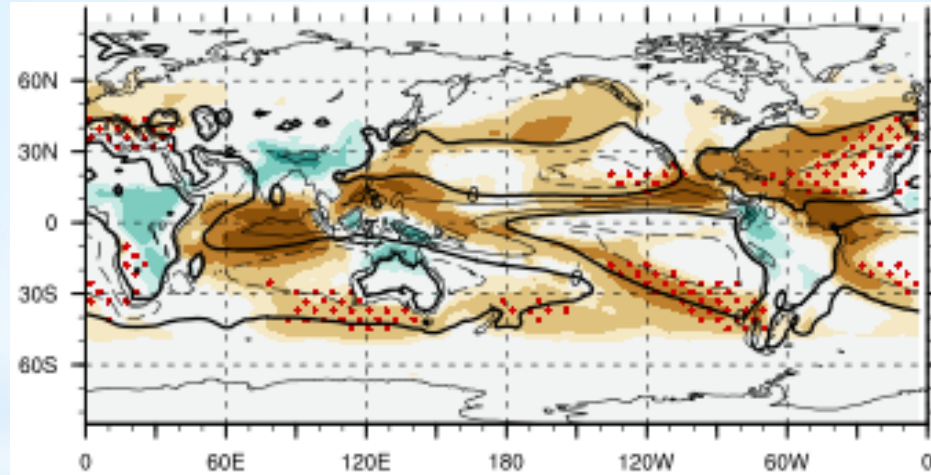
Results

Direct CO₂ VS Land-sea contrast

(Bony et al. 2013,
Nature Geo)

(Chadwick et al. 2014, *GRL*)

∂P in AMIP_CO2



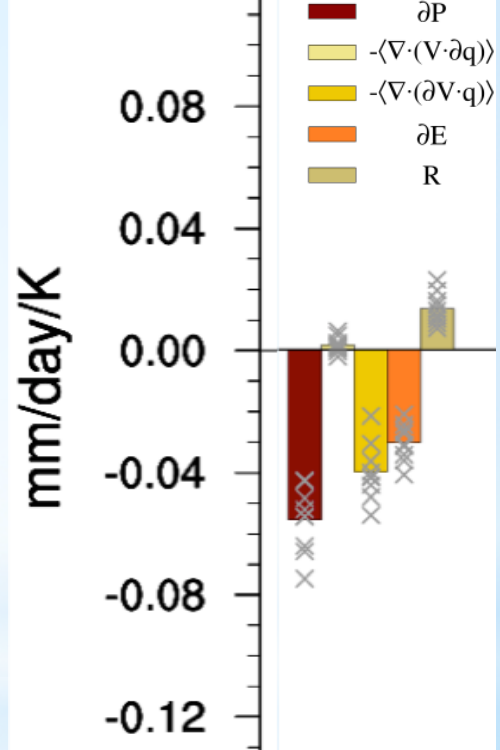
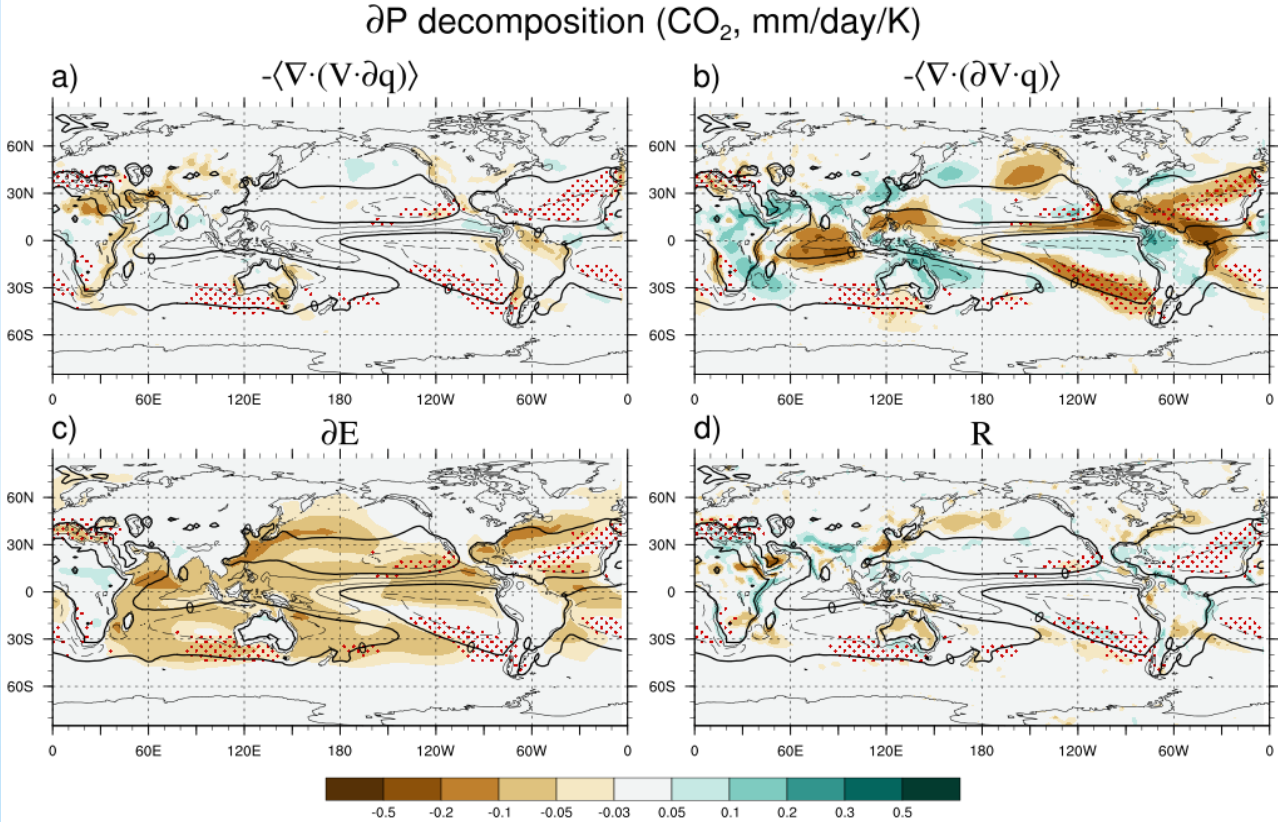
$$\partial(P - E) = -\int \nabla \cdot (\partial q \cdot V) - \int \nabla \cdot (q \cdot \partial V) - \int \nabla \cdot (\partial q \cdot \partial V)$$

$$\partial P \approx -\int \nabla \cdot (\partial q \cdot V) - \int \nabla \cdot (q \cdot \partial V) + \partial E + R$$

(Seager et al. 2010, *J. Climate*)

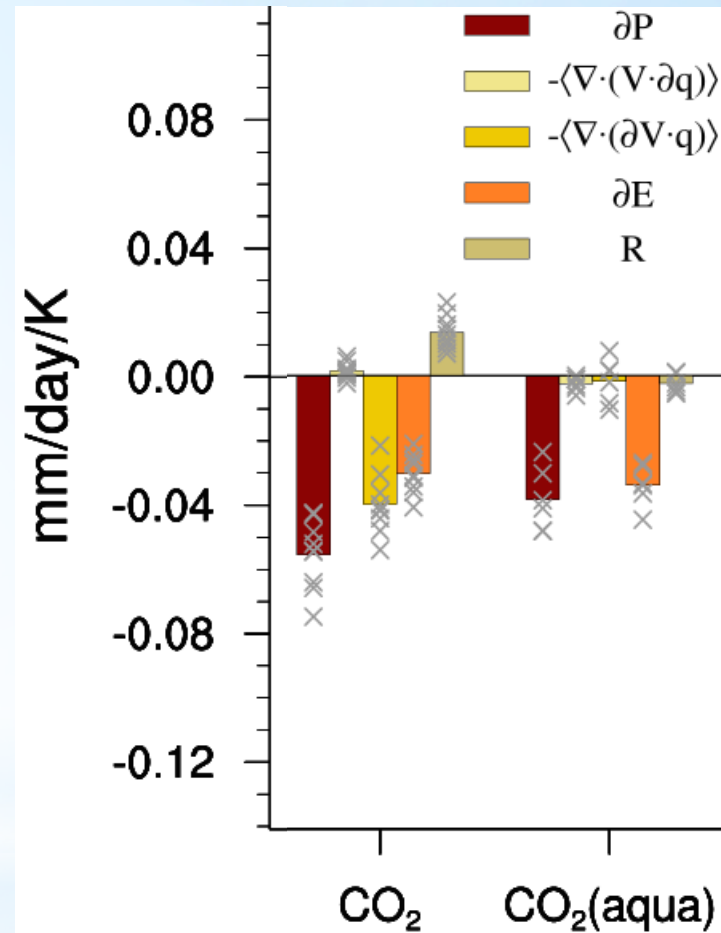
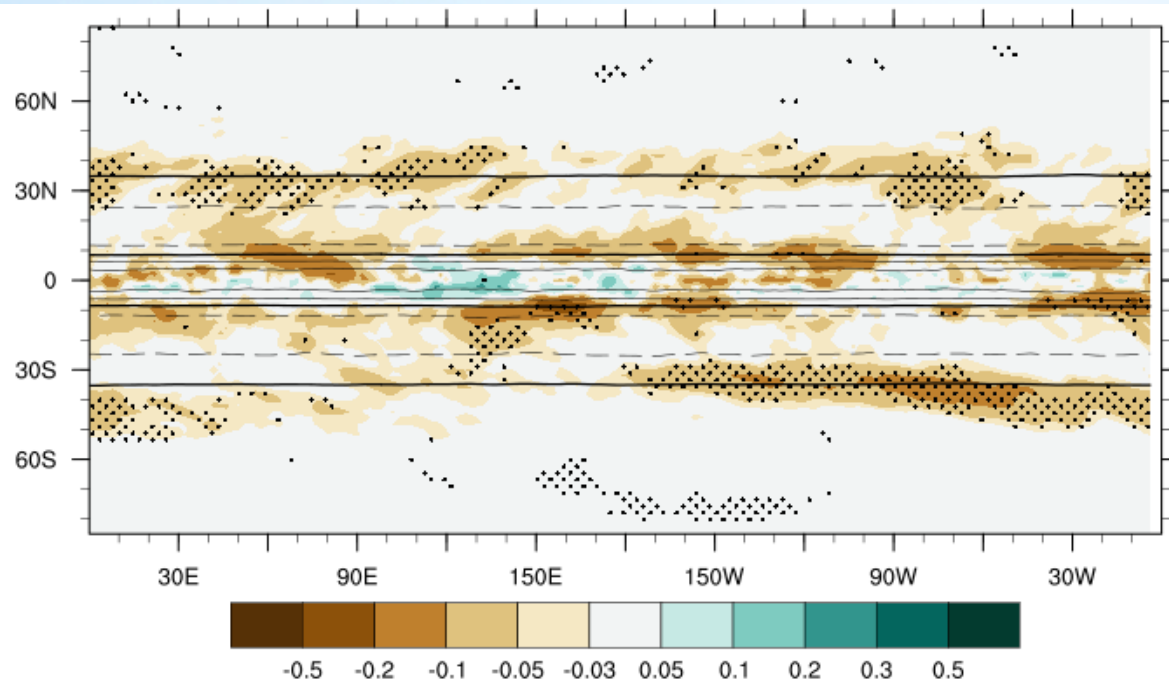
Direct CO₂ VS Land-sea contrast

$$\partial P \approx - \int \nabla \cdot (\partial q \cdot V) - \int \nabla \cdot (q \cdot \partial V) + \partial E + R$$



Direct CO₂ VS Land-sea contrast

∂P in aqua_CO2 (mm/day/K)



- Land-sea contrast drives dynamic change.
- Direct CO₂ forcing reduces evaporation.

Introduction

Method

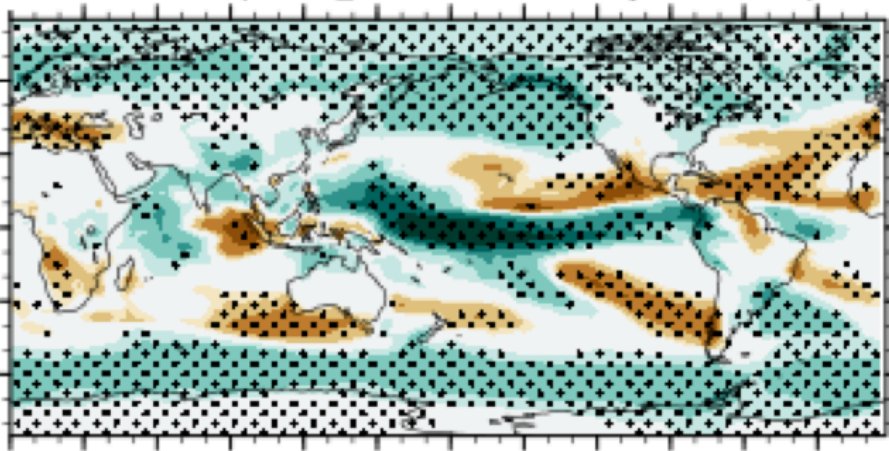
Results

Land-sea warming contrast

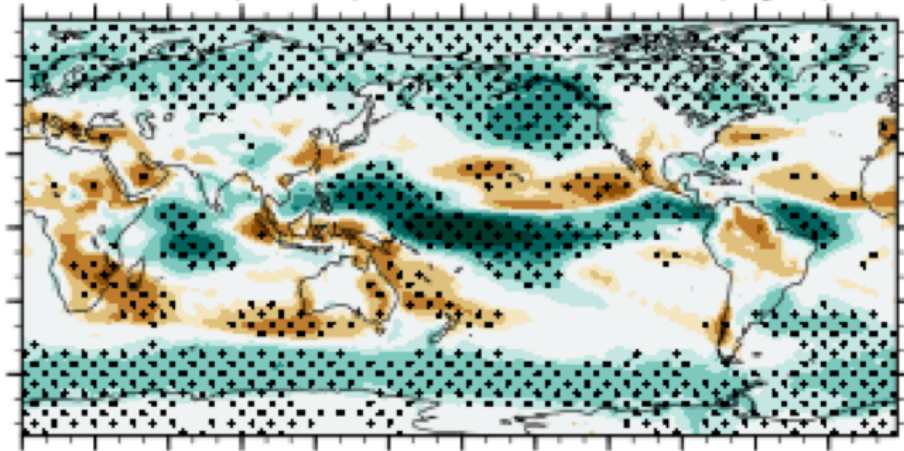
Total ∂P

∂P without land-sea contrast

AMIP (CO₂ + mean + pattern)



AMIP(total) - AMIP_CO2(dyn)



-0.5 -0.2 -0.1 -0.05 -0.03 0.05 0.1 0.2 0.3 0.5

- Land-sea warming contrast drives precipitation decline over ocean but counteracts the precipitation decline over land, which would otherwise happen due to SST change.

Introduction

Method

Results

Summary I

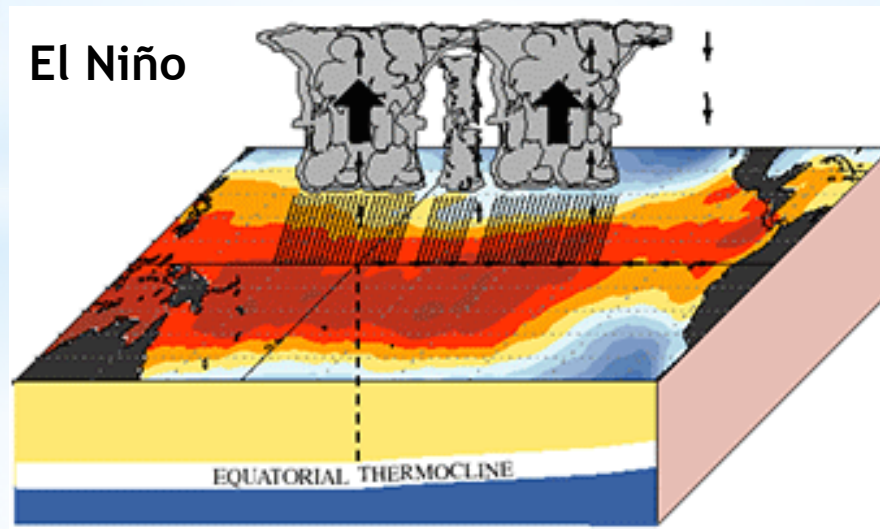
- * Subtropical precipitation decline does not depend on increases in moisture or poleward expansion of the Hadley cell.
- * The large-scale subtropical precipitation decline is driven by the land-sea warming contrast, direct CO₂ forcing and, in certain regions, pattern of SST change.
- * The land-sea warming contrast drives precipitation decline over subtropical ocean but counteracts the precipitation decline over land.

Introduction

Method

Results

Precipitation Variability: SST Forcing in the Tropics

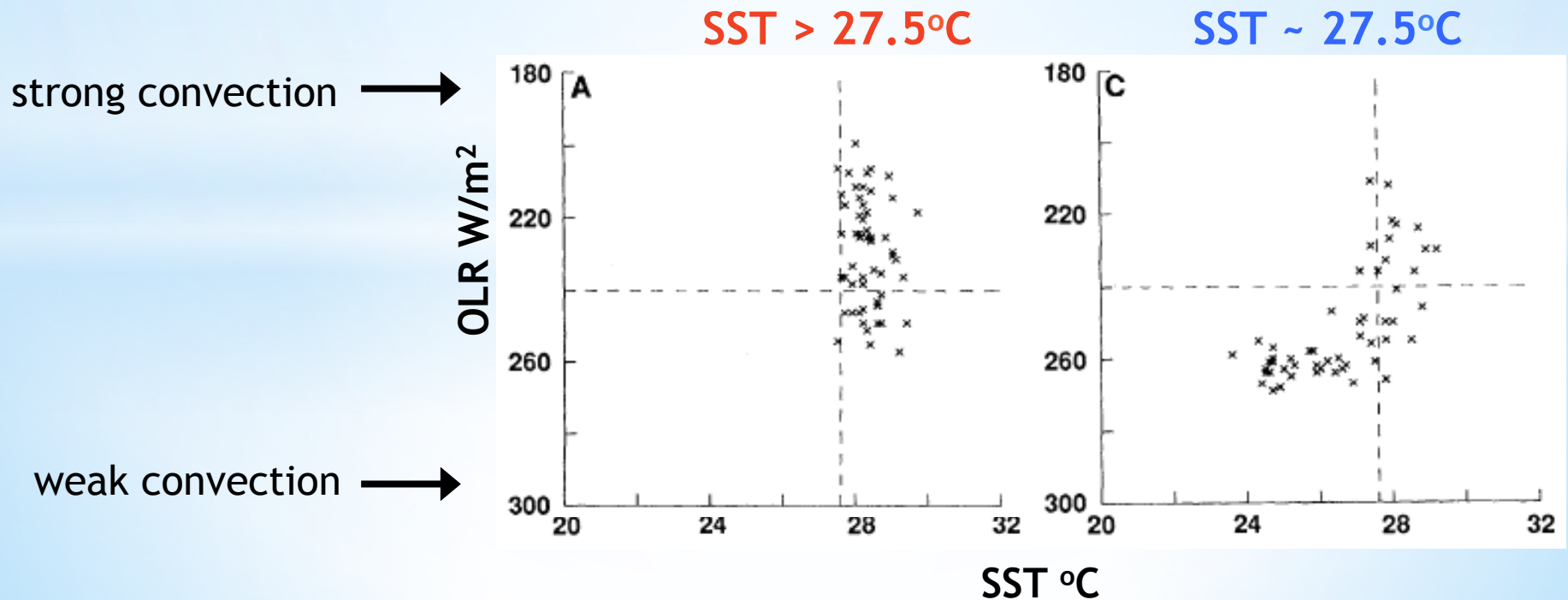


<http://forum.weatherzone.com.au/ubbthreads.php/topics/1050469/40>

How strong is the SST forcing?

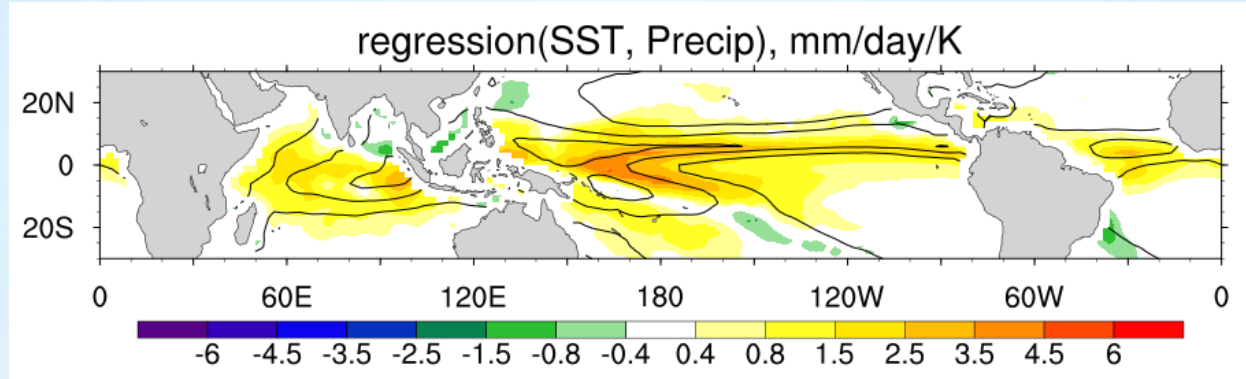
“Although SSTs in excess of 27.5°C are required for deep convection to occur, the intensity of convection appears to be insensitive to further increases in SST.”

-- Graham and Barnett 1987, *Science*

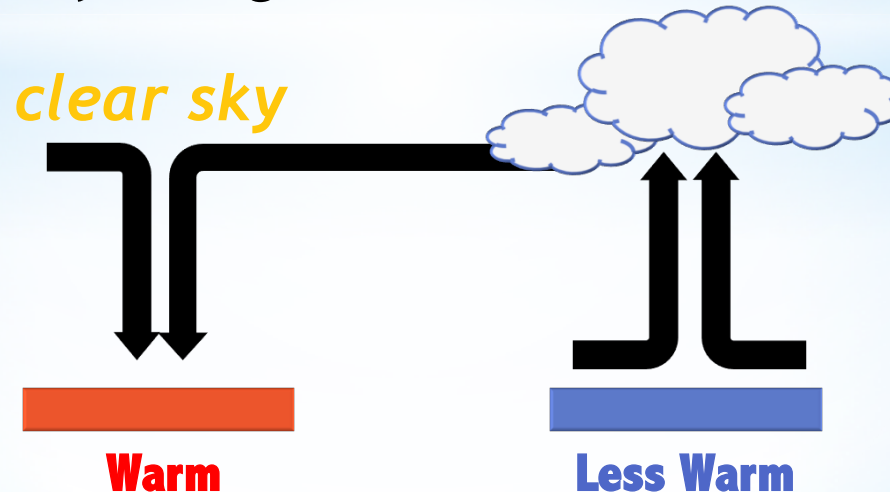


Lack of SST forcing over warm pool?

Waliser and Graham 1993, *J. Climate*; Zhang 1993, *J. Climate*; Waliser 1996 *J. Climate*



Large-scale remote forcing?



Introduction

Method

Results

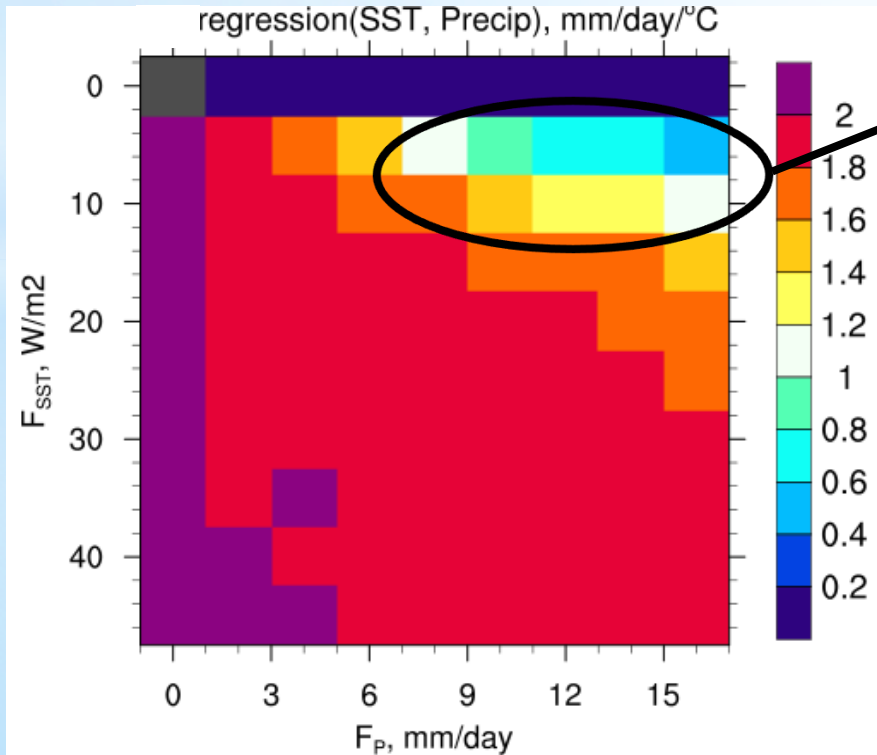
Application

SST forcing in coupled systems

$$P = a \cdot SST + F_p$$

$$\frac{dSST}{dt} = \frac{1}{c_p \rho_w H} (b \cdot P + F_{SST})$$

$a=2$ (mm/day)/°C; $b=-3$ (W/m²)/(mm/day)



If F_p is large and F_{SST} is small (e.g., ITCZ), it would appear in a coupled system that the SST forcing is much less than 2 (mm/day)/K.

SST forcing in an uncoupled system

$$P = a \cdot SST + F_P$$

~~$$\frac{dSST}{dt} = \frac{1}{e_p \rho_w H} (b P + F_{SST})$$~~

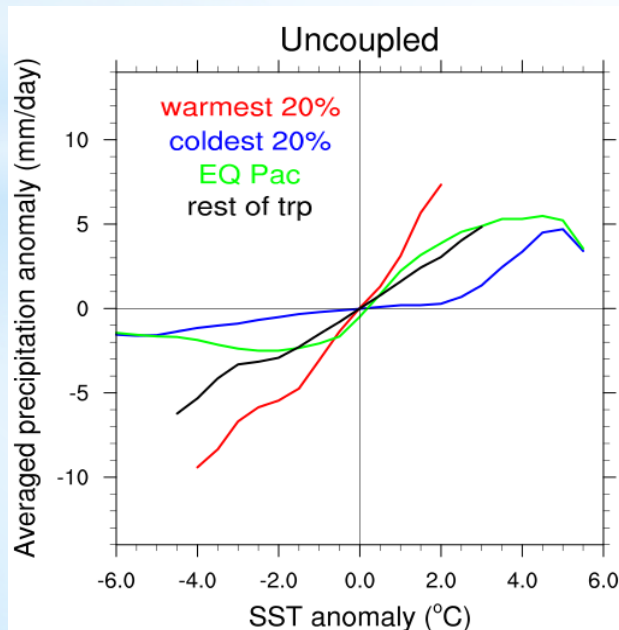
Coupled GFDL-FLOR

↓ *SST anomalies*

Atmosphere-only GFDL-FLOR

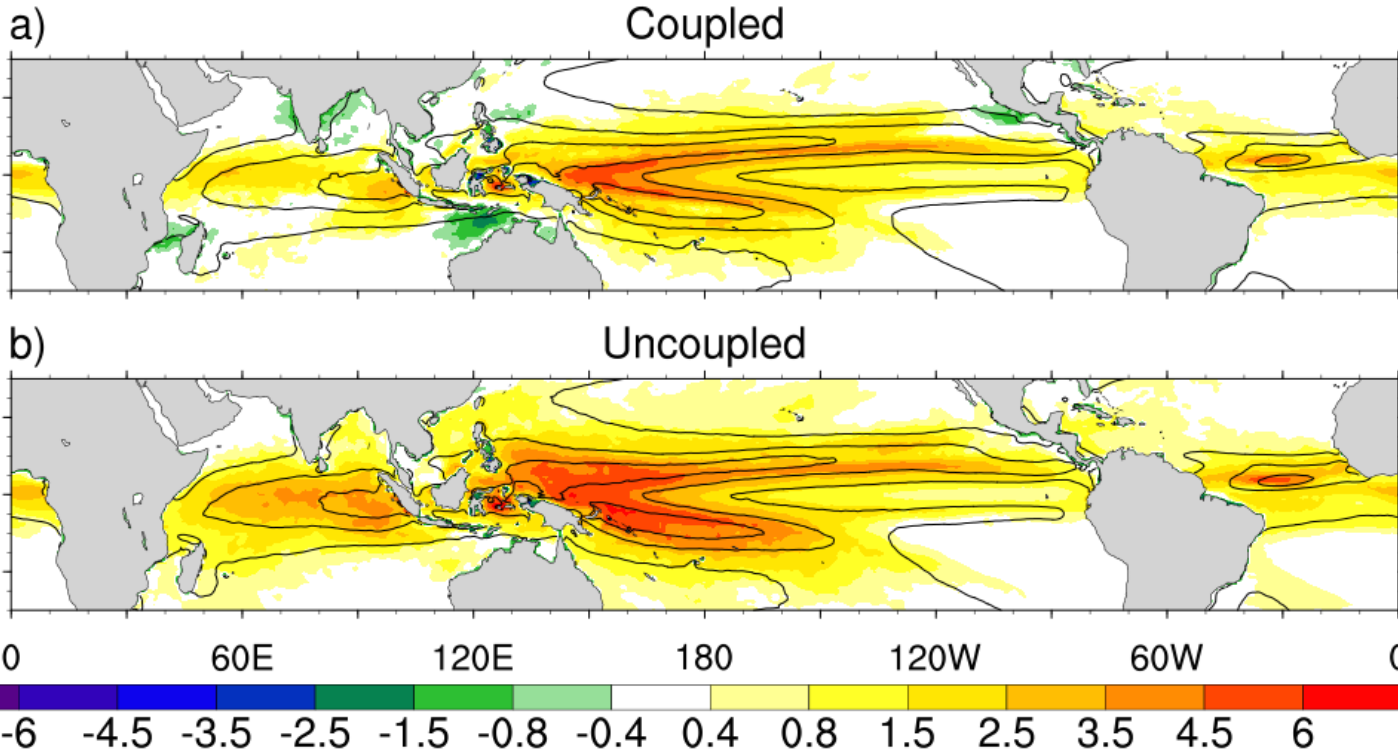
run for 80 years

Assume linearity and solve for regression coefficient, a .



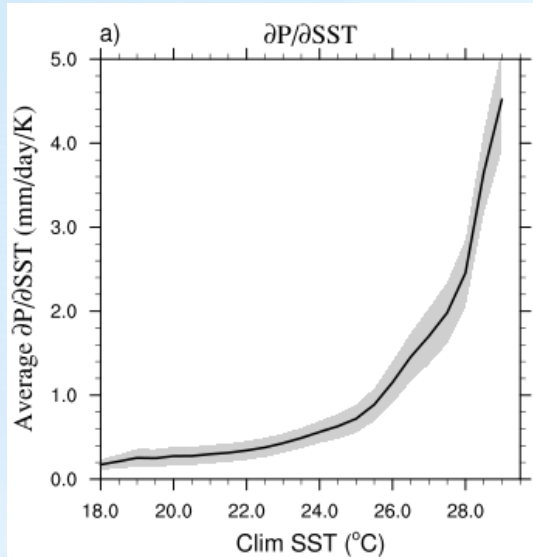
SST forcing in an uncoupled system

regression(SST, Precip), mm/day/K



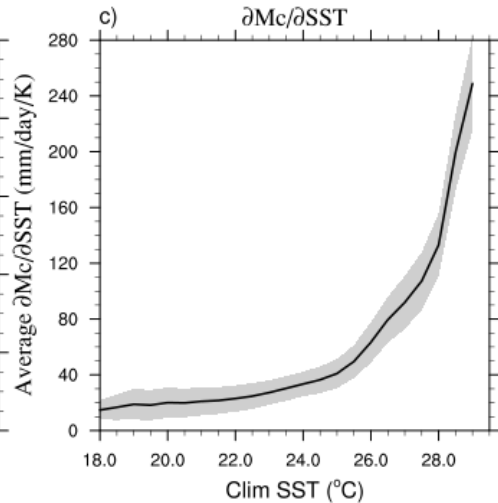
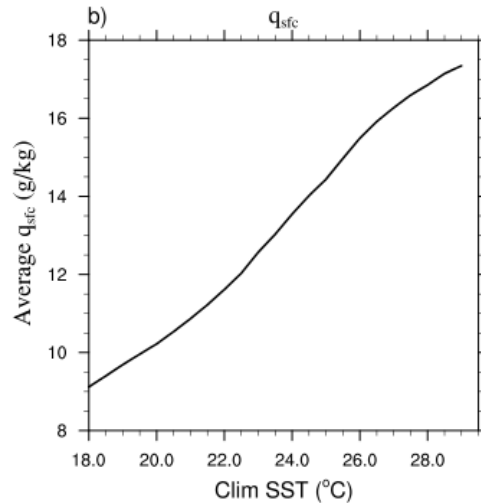
- The higher the base SST, the larger the SST forcing.

SST forcing in an uncoupled system



$$P = q_{sfc} \cdot Mc \quad (Mc = \frac{P}{q_{sfc}})$$
$$\frac{\partial P}{\partial SST} = \frac{\partial P}{\partial q_{sfc}} \cdot \frac{\partial q_{sfc}}{\partial SST} + \frac{\partial P}{\partial Mc} \cdot \frac{\partial Mc}{\partial SST}$$
$$\frac{\partial P}{\partial SST} = \overline{Mc} \cdot \frac{\partial q_{sfc}}{\partial SST} + q_{sfc} \cdot \frac{\partial Mc}{\partial SST}$$

Diagrammatic annotations: A blue circle highlights q_{sfc} in the second equation, with an arrow pointing to graph (b). Another blue circle highlights $\frac{\partial Mc}{\partial SST}$ in the second equation, with an arrow pointing to graph (c). The term $\frac{\partial P}{\partial q_{sfc}}$ in the second equation is crossed out with a black diagonal line.



What determines $\partial Mc / \partial SST$?

- **Moist Static Energy Model** (Neelin and Held 1987, *J. Climate*)

$$m = s + L \cdot q \quad s = C_p \cdot T + \Phi$$

$$\int \nabla \cdot (mV) = F_{sfc} - F_{TOA}$$

$$\int m \cdot (\nabla \cdot V) + \int V \cdot (\nabla m) \approx F_{sfc} - F_{TOA}$$

$$\begin{array}{c}
 \overline{\longleftarrow \nabla \cdot V_T \longrightarrow} \quad m_T \quad p_{TOA} = 0 \\
 \overline{\longrightarrow \nabla \cdot V_B \longleftarrow} \quad m_B \quad p_m \\
 \overline{\hspace{10em}} \quad p_{sfc}
 \end{array}$$

$$\nabla \cdot V_B = \int_{p_m}^{p_{sfc}} \nabla \cdot V \frac{dp}{g} = -\nabla \cdot V_T$$

$$\Delta m = m_T - m_B$$

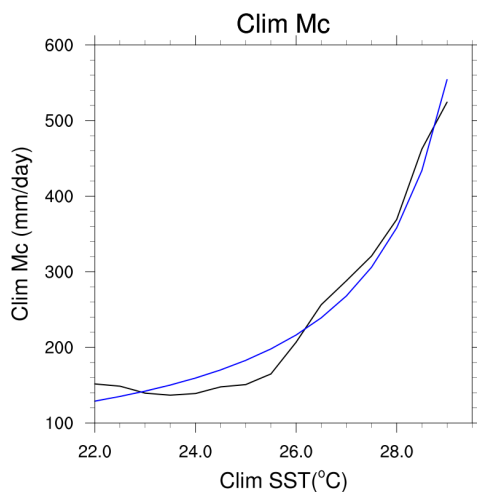
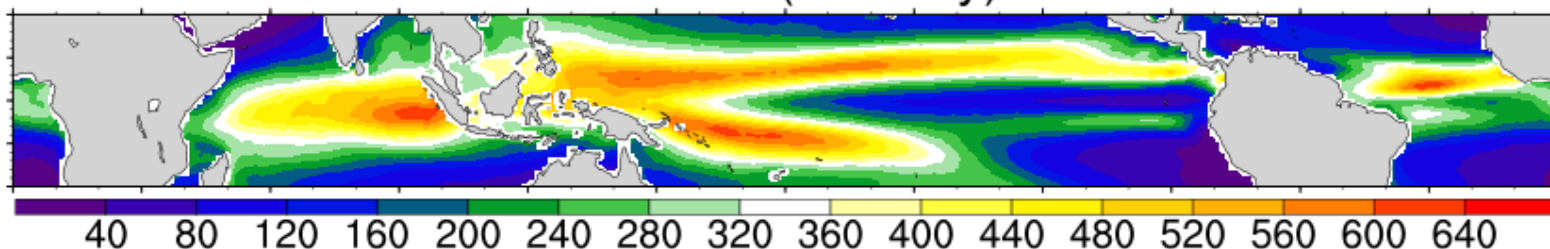
$$-\Delta m \nabla \cdot V_B \approx F_{sfc} - F_{TOA}$$

$$-\nabla \cdot V_B \approx \frac{F_{sfc} - F_{TOA}}{\Delta m}$$

What determines $\partial Mc / \partial SST$?

$$Mc \propto -\nabla \cdot V_B \approx \frac{F_{sfc} - F_{TOA}}{\Delta m}$$

Clim Mc (mm/day)



$$Mc \propto \frac{F}{\Delta m} = \frac{F}{s_T + \cancel{L \cdot q_T} - s_B - L \cdot q_B} \approx \frac{F}{\Delta s - L \cdot q_B}$$

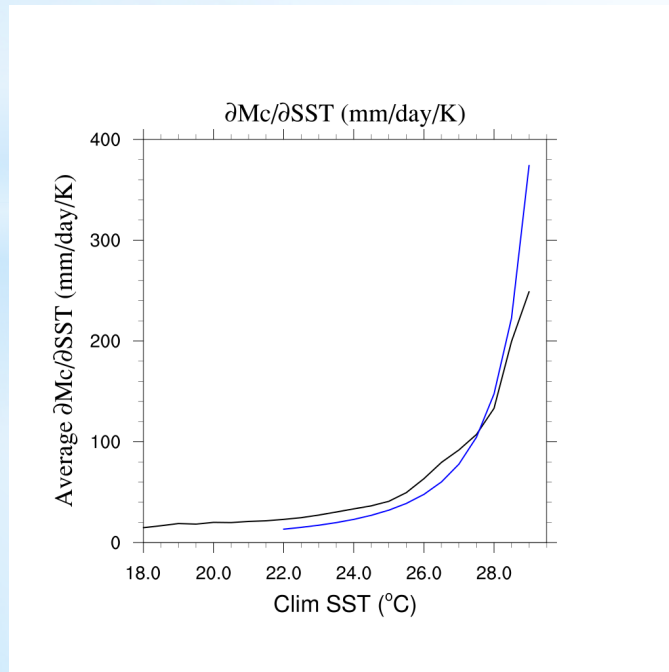
$$q_B = \alpha \cdot q_{sat}(T_B) \approx 80\% \cdot q_{sat}(SST - 1.5^\circ C)$$

$$\Delta s = 5.0 \times 10^4 J / kg$$

What determines $\partial Mc / \partial SST$?

$$Mc \propto \frac{F}{\Delta s - L \cdot q_B} \quad \frac{\partial q_B}{\partial SST} = q_B \cdot 7\% / ^\circ C$$

$$\frac{\partial Mc}{\partial SST} \propto \frac{F \cdot L \cdot q_B \cdot 7\% / ^\circ C}{(\Delta s - L \cdot q_B)^2}$$



- As the base SST increases, $L \cdot q_B$ increases exponentially towards Δs .

Summary II

- * Simultaneous SST-convection relationships from coupled systems, including observation, are inadequate for quantifying SST forcing.
- * SST forcing of convection is a monotonically increasing function of the base SST.
- * Uncoupled simulations can be ideal tools for quantifying SST forcing.

A framework for air-sea interaction

$$P = \frac{\partial P}{\partial SST} \cdot SST + F_P$$

$$LH = \frac{\partial LH}{\partial SST} \cdot SST + F_{LH}$$

$$SH = \frac{\partial SH}{\partial SST} \cdot SST + F_{SH}$$

$$SW = C_{SW} \cdot P$$

$C_{SW} = \text{regression}(P, SW)$

$$\frac{\partial SST}{\partial t} = \frac{1}{c_p \rho_w H} (SW + LW - LH - SH + F_{SST})$$

- Quantify atmospheric sources of SST variability.

$$LW = \beta \cdot SST - 4 \cdot \alpha \cdot \overline{SST}^3 \cdot SST$$

(Waliser and Graham 1993, *J. Climate*)

ENSO forcing

Tropical SST variability

$$\frac{dSST}{dt} = \frac{1}{c_p \rho_w H} (SW + LW - LH - SH + F_{SST})$$

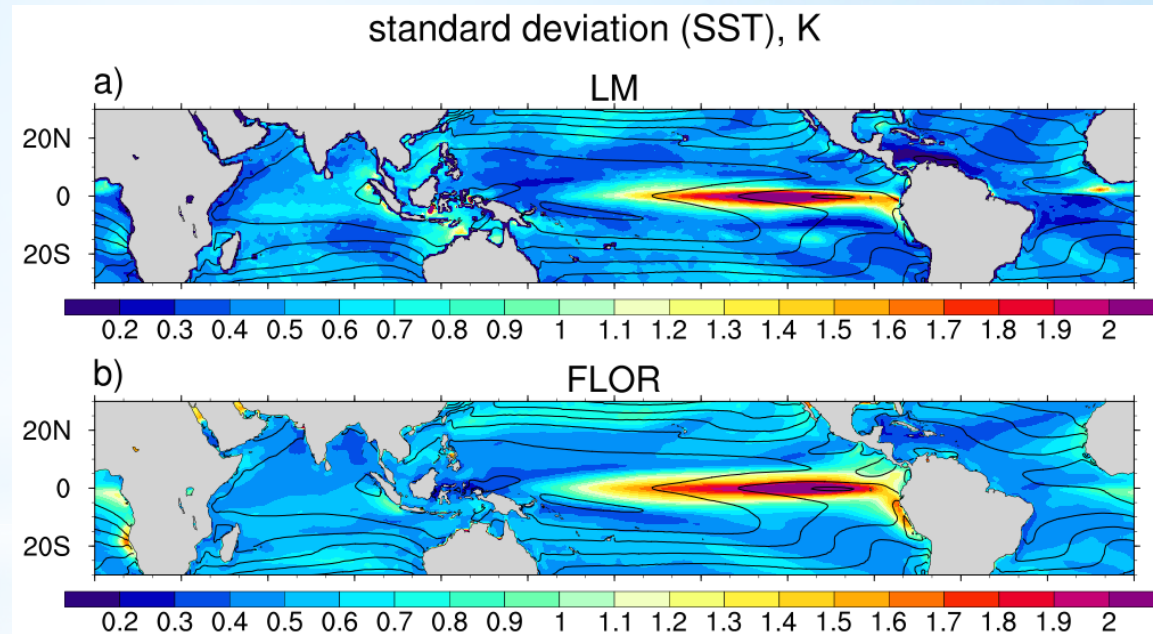
$$P = \frac{\partial P}{\partial SST} \cdot SST + F_P$$

$$LH = \frac{\partial LH}{\partial SST} \cdot SST + F_{LH}$$

$$SH = \frac{\partial SH}{\partial SST} \cdot SST + F_{SH}$$

$$LW = \beta \cdot SST - 4 \cdot \alpha \cdot \overline{SST}^3 \cdot SST$$

$$SW = C_{SW} \cdot P$$

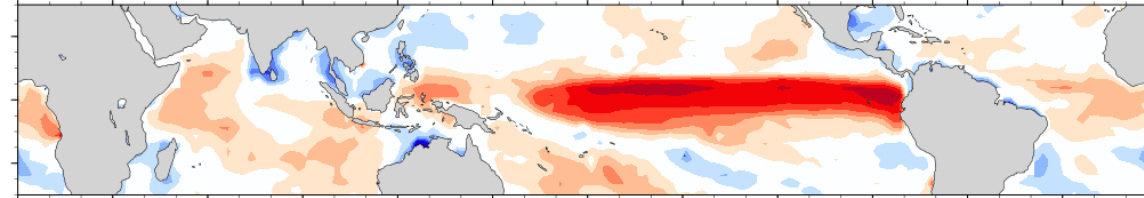


- LM simulates tropical SST variability reasonably well.

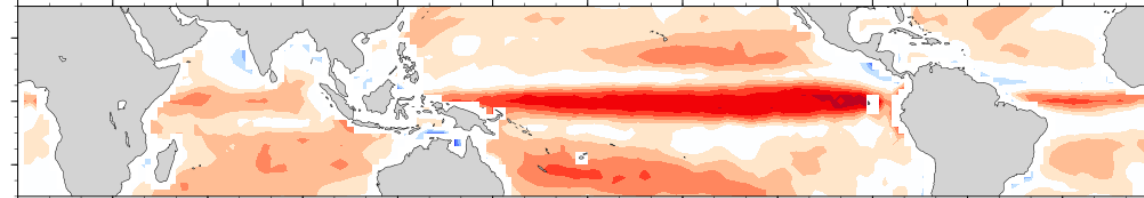
Local air-sea relationship

corr(SST, Precip)

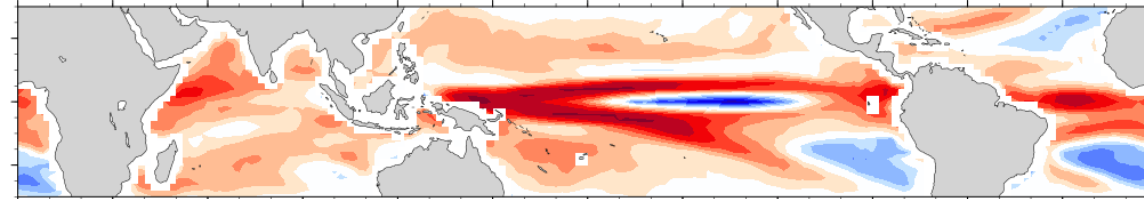
Observation



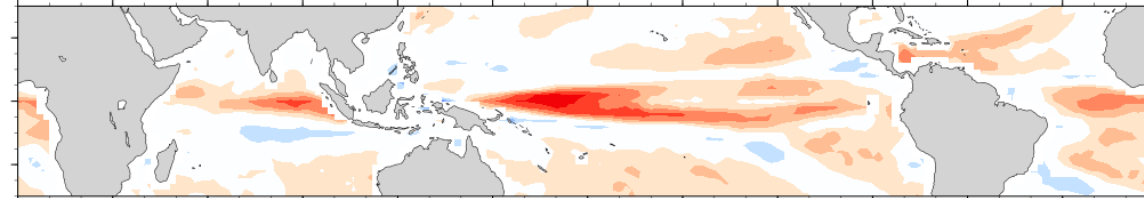
GISS-E2-H



IPSL-CM5A-LR



MRI-CGCM3



-0.7 -0.6 -0.5 -0.4 -0.3 -0.2 -0.1 0.1 0.2 0.3 0.4 0.5 0.6 0.7

- Large biases in the simulation of air-sea relationship from current CGCMs.

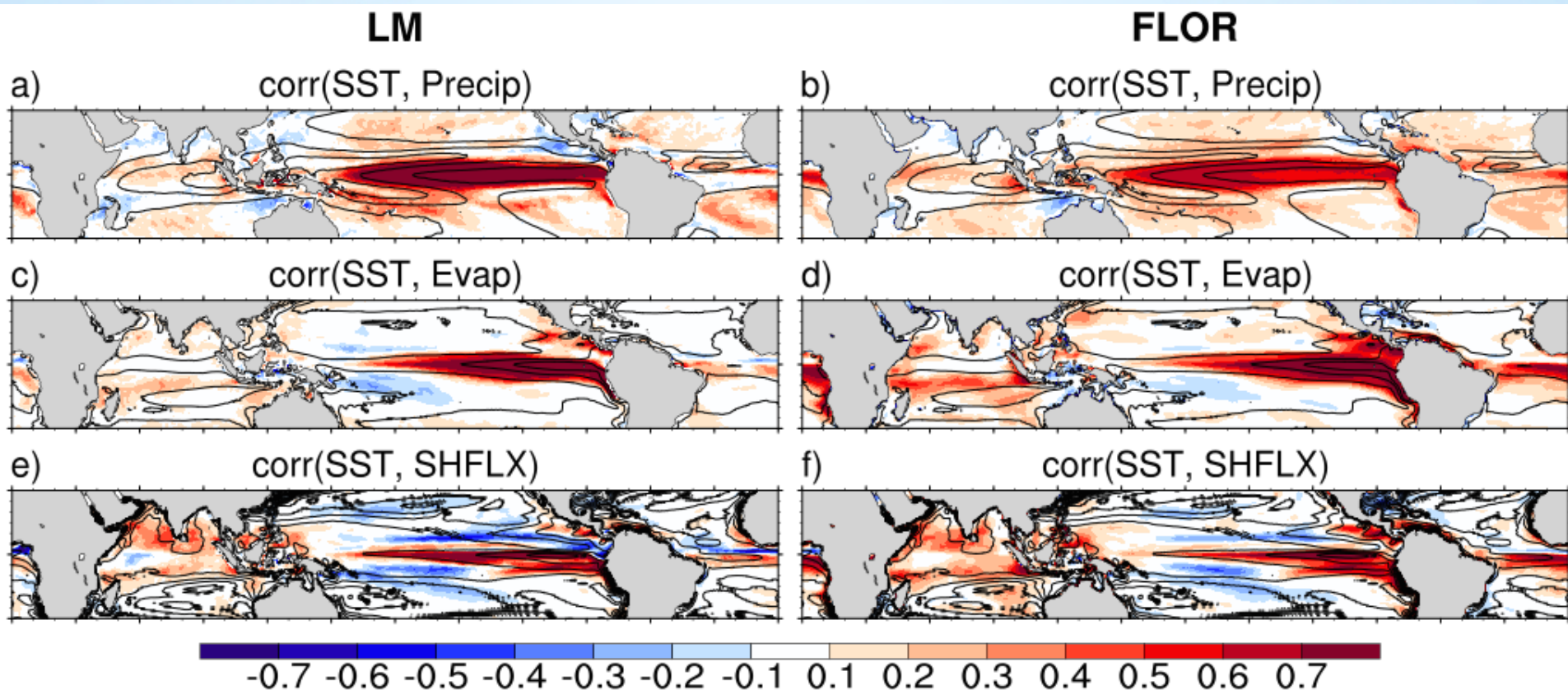
Introduction

Method

Results

Application

Local air-sea relationship



- LM reasonably represents the local air-sea relationship from the CGCM.

Summary I

- * Subtropical precipitation decline does not depend on changes in moisture or poleward expansion of the Hadley cell.
- * The large-scale subtropical precipitation decline is driven by the land-sea warming contrast, direct CO₂ forcing and, in certain regions, pattern of SST change.
- * The land-sea warming contrast drives precipitation decline over subtropical ocean but counteracts the precipitation decline over land.

Summary II

- * Simultaneous SST-convection relationships from coupled systems, including observation, are inadequate for quantifying SST forcing.
- * SST forcing of convection is a monotonically increasing function of the base SST.
- * Uncoupled simulations can be ideal tools for quantifying SST forcing.

Thank you

References

- Bony, S., G. Bellon, D. Klocke, S. Sherwood, S. Fermepin, and S. Denvil, 2013: Robust direct effect of carbon dioxide on tropical circulation and regional precipitation. *Nat. Geosci*, **6**, 447-451.
- Chadwick, R., P. Good, T. Andrews, and G. Martin, 2014: Surface warming patterns drive tropical rainfall pattern responses to CO₂ forcing on all timescales. *Geophys. Res. Lett.*, **41**, 610-615, doi:10.1002/2013GL058504.
- Compo, G., and P. Sardeshmukh, 2009: Oceanic influences on recent continental warming. *Clim. Dyn.*, **32**, 333-342, doi:10.1007/s00382-008-0448-9.
- GRAHAM, N. E., and T. P. BARNETT, 1987: Sea Surface Temperature, Surface Wind Divergence, and Convection over Tropical Oceans. *Science*, **238**, 657, doi:10.1126/science.238.4827.657.
- Grise, K. M., and L. M. Polvani, 2014: The response of midlatitude jets to increased CO₂: Distinguishing the roles of sea surface temperature and direct radiative forcing. *Geophys. Res. Lett.*, **41**, 2014GL061638, doi:10.1002/2014GL061638.
- Held, I. M., and B. J. Soden, 2006: Robust responses of the hydrological cycle to global warming. *J. Clim.*, **19**, 5686-5699, doi:10.1175/JCLI3990.1.
- Neelin, J. D., and I. M. Held, 1987: Modeling Tropical Convergence Based on the Moist Static Energy Budget. *Mon. Weather Rev.*, **115**, 3-12, doi:10.1175/1520-0493(1987)115<0003:MTCBOT>2.0.CO;2.
- Scheff, J., and D. Frierson, 2012a: Twenty-first-century multimodel subtropical precipitation declines are mostly midlatitude shifts. *J. Clim.*, **25**, 4330-4347, doi:10.1175/JCLI-D-11-00393.1.
- , and D. M. W. Frierson, 2012b: Robust future precipitation declines in CMIP5 largely reflect the poleward expansion of model subtropical dry zones. *Geophys. Res. Lett.*, **39**, L18704, doi:10.1029/2012GL052910.
- Seager, R., and Coauthors, 2007: Model projections of an imminent transition to a more arid climate in southwestern North America. *Science*, **316**, 1181-1184, doi:10.1126/science.1139601.
- Waliser, D. E., 1996: Formation and Limiting Mechanisms for Very High Sea Surface Temperature: Linking the Dynamics and the Thermodynamics. *J. Clim.*, **9**, 161-188, doi:10.1175/1520-0442(1996)009<0161:FALMFV>2.0.CO;2.
- , and N. E. Graham, 1993: Convective cloud systems and warm-pool sea surface temperatures: Coupled interactions and self-regulation. *J. Geophys. Res. Atmospheres*, **98**, 12881-12893, doi:10.1029/93JD00872.
- Zhang, C., 1993: Large-Scale Variability of Atmospheric Deep Convection in Relation to Sea Surface Temperature in the Tropics. *J. Clim.*, **6**, 1898-1913, doi:10.1175/1520-0442(1993)006<1898:LSVOAD>2.0.CO;2.